

Multi Linear Regression (MLR) has been developed for simulating the total rainfall in Gadawara (M.P). The methodology of developing the CANFIS models along with training and testing of developed models, the Neuro Solution 5.0 software and Microsoft Excel were used in analysis and the performance evaluation indices for developed models.

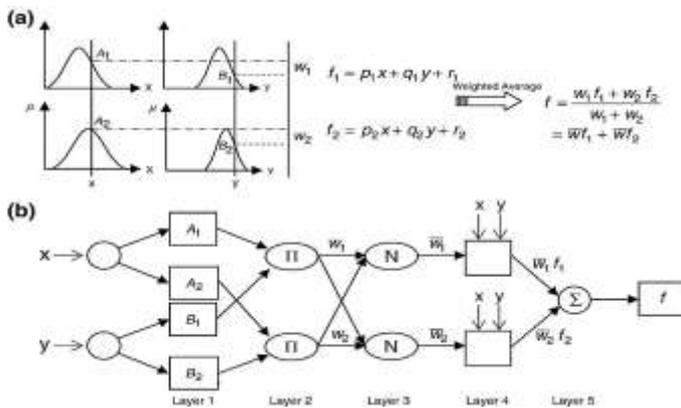


Fig. 3.1 A basic overview of CANFIS structure.

In this study, membership functions (Gaussian) is used. Choosing the number of membership functions for each input reflects the complexity of CANFIS model for selecting parameters. In each application, a different number of membership functions were tried, and the best one that gives the minimum errors was selected.

| Model No. | Input-Output Variables |
|-----------|---|
| CANFIS-1 | Rt = f (T _{min}) |
| CANFIS-2 | Rt = f (T _{max}) |
| CANFIS-3 | Rt = f (W _s) |
| CANFIS-4 | Rt = f (R _s) |
| CANFIS-5 | Rt = f (T _{min} , T _{max}) |
| CANFIS-6 | Rt = f (T _{min} , W _s) |
| CANFIS-7 | Rt = f (T _{min} , R _s) |
| CANFIS-8 | Rt = f (T _{max} , W _s) |
| CANFIS-9 | Rt = f (T _{max} , R _s) |
| CANFIS-10 | Rt = f (W _s , R _s) |
| CANFIS-11 | Rt = f (T _{min} , T _{max} , W _s) |
| CANFIS-12 | Rt = f (T _{min} , T _{max} , R _s) |
| CANFIS-13 | Rt = f (T _{min} , W _s , R _s) |
| CANFIS-14 | Rt = f (T _{max} , W _s , R _s) |
| CANFIS-15 | Rt = f (T _{min} , T _{max} , W _s , R _s) |

Table 3.1-Input-output combination for CANFIS models for rainfall simulation at Gadawara city of M.P

The daily data of rainfall and meteorological data (temperature, solar radiation, wind speed) on daily basis were split into two sets: a training data set from 2005 to 2012 and a testing data set from 2013 to 2014 for Gadawara city. The input pairs in the training data set were applied to the network of a selected architecture and training was performed using CANFIS.

The model attempts to reproduce the outcome based on the learning or training on data input information. In ANN model of the biological neurons, there are three basic components such as:

- I. **Synapses:** The synapses of the neuron are modeled as weights which represent the strength of the connectivity between an input and a neuron.
- II. **Adder:** This activity is referred to as linear combination which sums up all the inputs modified by their respective weights and is the actual activity within the neuron cell.
- III. **Activation function:** The activation function controls the amplitude of the output of the neuron.

Multiple Linear Regression(MLR)

Multiple Linear Regression(MLR) is simply extended form of Simple regression in which two or more variables are independent variables are used and can be expressed as (Kumar and Malik, 2015):

$$Y = \alpha + \beta_1 X_1 + \beta_2 X_2 + \dots + \beta_p X_p$$

Where,

- Y = Dependent variable;
- α = Constant or intercept;
- β1 = Slope (Beta coefficient) for X1;
- X1 =First independent variable that is explaining the variance in Y;
- β2 = Slope (Beta coefficient) for X2;
- X2 = Second independent variable that is explaining the variance in Y;
- p= Number of independent variables;
- βp= Slope coefficient for Xp;
- Xp= pth independent variable explaining the variance in Y.

4. RESULTS AND DISCUSSION

The performances of models were evaluated qualitatively and quantitatively by visual observation and various statistical and hydrological indices viz. mean square error (MSE), correlation coefficient (r) and coefficient of efficiency (CE). The model having higher values of correlation coefficient and coefficient of efficiency and low value of mean square error is consider as the best fit model.

4.1 Rainfall modeling using CANFIS

CANFIS models (Table 3.1) were used to simulate rainfall as output based on various input combinations of minimum and maximum temperature, wind speed and solar radiation. CANFIS model Nos. 4, 2, 3,6, were selected for further analysis and comparison based on the statistical indices, such as mean squared error (MSE), coefficient of efficiency (CE) and correlation coefficient (r). The values of statistical indices for the selected CANFIS models during testing are presented in Tables 4.1 respectively.

Table 4.1 Statistical indices for selected CANFIS models during testing phase for GADARWARA.

| Model No. | MF per input | Testing | | | |
|-----------|--------------|---------|--------|--------|----------------|
| | | MSE | CE | r | R ² |
| CANFIS-4 | Gauss-6 | 0.0064 | 0.5793 | 0.9224 | 0.8509 |
| CANFIS-2 | Gauss-2 | 0.0072 | 0.5237 | 0.9156 | 0.8385 |
| CANFIS-3 | Gauss-2 | 0.0077 | 0.4911 | 0.8395 | 0.7048 |
| CANFIS-6 | Gauss-6 | 0.0086 | 0.4321 | 0.8167 | 0.6670 |
| CANFIS-7 | Gauss-2 | 0.0077 | 0.4890 | 0.8651 | 0.7485 |

Table 4.2 Statistical indices for selected MLR models during testing phase for GADARWARA.

| Model No. | Testing | | | |
|-----------|----------|--------|--------|----------------|
| | MSE | CE | r | R ² |
| MLR-12 | 202.1568 | 0.2515 | 0.5012 | 0.2515 |
| MLR-13 | 203.8248 | 0.2450 | 0.4950 | 0.2450 |
| MLR-14 | 205.1342 | 0.2401 | 0.4900 | 0.2401 |
| MLR-9 | 205.6508 | 0.2382 | 0.4881 | 0.2382 |
| MLR-4 | 205.8523 | 0.2375 | 0.4873 | 0.2375 |

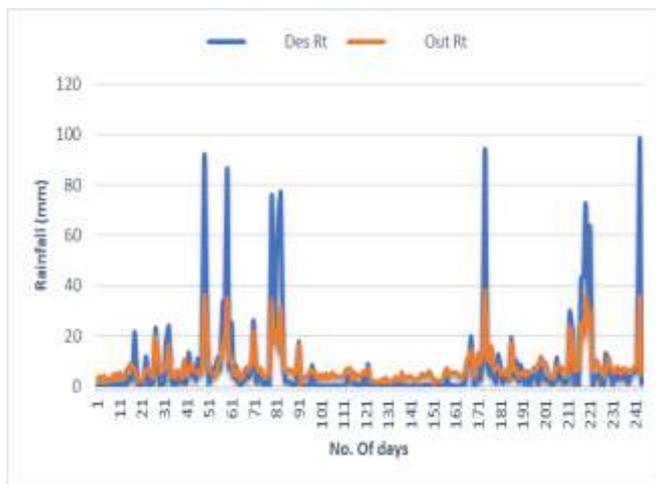


Fig 4.1 Comparison of observed and predicted rainfall by CANFIS-4, Gauss-6 during the validation period

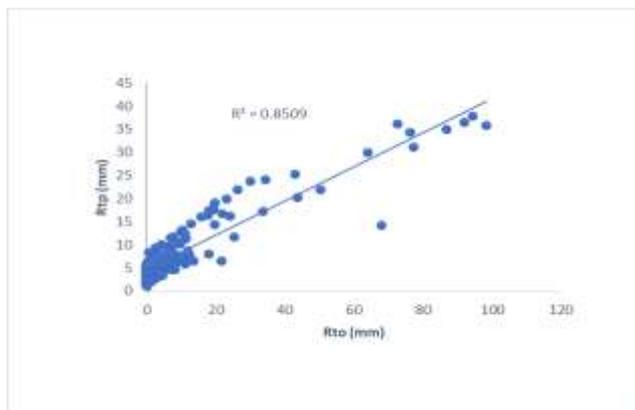


Fig 4.2 Correlation between observed and predicted rainfall by CANFIS- 4, Gauss-6 during the validation period

Rainfall modeling using MLR

Universal processes of forecasting rainfall amount involve Data collection, data preprocessing and data selection, Reduction of explanatory predictor, building model using regression and at the last validity check.

4. CONCLUSION

In this study, we attempted to forecast the daily rainfall on the basis of Co-active neuro-fuzzy inference system (CANFIS) and Multi Linear Regression (MLR) techniques. On the basis of lower values of MSE (0.0056) and higher CE (0.5793) and r (0.9224) in the testing phase, the CANFIS 4 model were found to be the best performing model. The predicted rainfall using CANFIS models were found to be much closer to the observed values of rainfall as compared to MLR.

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